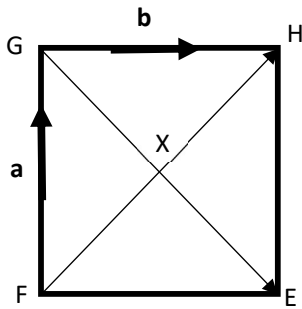


Prove that the two longest lines in a **square** bisect each other and their point of intersection X is in the middle of the Square

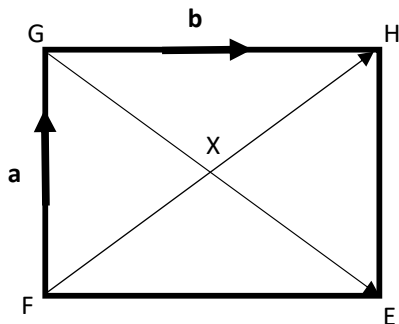


We want to have two separate expressions for \overrightarrow{FX} which must be equal to each other and then to equate their coefficients to find our unknowns

$\overrightarrow{FG} = \mathbf{a}$
 $\overrightarrow{GH} = \mathbf{b}$
 Rewrite the following using **a** and **b**
 $\overrightarrow{FH} =$
 $\overrightarrow{GE} =$
 $\overrightarrow{GX} = m\overrightarrow{GE} =$
 Now Re-Write \overrightarrow{FX} in two ways
 $\overrightarrow{FX} = k\overrightarrow{FH} =$
 Or
 $\overrightarrow{FX} = \overrightarrow{FG} + \overrightarrow{GX} =$

Equate Coefficients and then solve for **k**
 $\overrightarrow{FX} \equiv \overrightarrow{FX}$
 $\overrightarrow{FG} + \overrightarrow{GX} \equiv k\overrightarrow{FH}$

Prove that the Ratio FX:XH is of the form 1:n and find a value for n



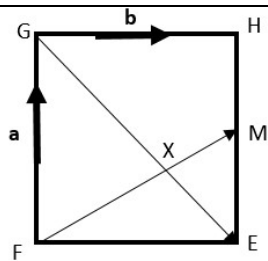
We want to have two separate expressions for \overrightarrow{FX} which must be equal to each other and then to equate their coefficients to find our unknowns

This shape is a RECTANGLE

$\overrightarrow{FG} = \mathbf{a}$
 $\overrightarrow{GH} = \mathbf{b}$
 Rewrite the following using **a** and **b**
 $\overrightarrow{FH} =$
 $\overrightarrow{GE} =$
 $\overrightarrow{GX} = m\overrightarrow{GE} =$
 $\overrightarrow{FX} = \frac{1}{n+1}\overrightarrow{FH} =$
 Or
 $\overrightarrow{FX} = \overrightarrow{FG} + \overrightarrow{GX} =$

Equate Coefficients
 $\overrightarrow{FX} \equiv \overrightarrow{FX}$
 $\overrightarrow{FG} + \overrightarrow{GX} \equiv \frac{1}{n+1}\overrightarrow{FH}$

Find the Ratio FX:XM where M is the midpoint of HE



$$\vec{FG} = \mathbf{a}$$

$$\vec{GH} = \mathbf{b}$$

Rewrite the following using **a** and **b**

$$\vec{FM} =$$

$$\vec{GE} =$$

$$\vec{GX} \equiv m\vec{GE} \equiv$$

$$\vec{FX} \equiv k\vec{FM} \equiv$$

And

$$\vec{FX} \equiv \vec{FG} + \vec{GX} = \vec{FG} + m\vec{GE} =$$

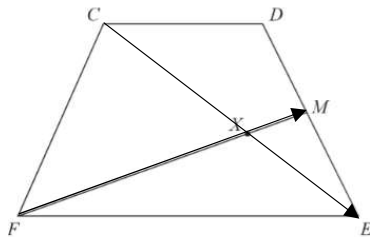
We now have two separate expressions for \vec{FX} which must be equal to each other

Equate Coefficients

$$\vec{FX} \equiv \vec{FX}$$

$$\vec{FG} + \vec{GX} \equiv k\vec{FM}$$

Find the ratio of FX:XM



$$\vec{CD} = \mathbf{a}, \vec{DE} = \mathbf{b} \text{ and } \vec{FC} = \mathbf{a} - \mathbf{b}.$$

M is the midpoint of DE.

X is the point on FM such that FX:XM = n:1

CXE is a straight line.

Rewrite the following using **a** and **b**

$$\vec{FE} =$$

$$\vec{FM} =$$

$$\vec{CE} \equiv$$

$$\vec{CX} \equiv m\vec{CE} \equiv$$

$$\vec{FX} \equiv k\vec{FM} \equiv$$

And

$$\vec{FX} \equiv \vec{FC} + \vec{CX} = \vec{FC} + m\vec{CE} =$$

We now have two separate expressions for \vec{FX} which must be equal to each other

Equate Coefficients
and then solve for **k** and **m**

$$\vec{FX} \equiv \vec{FX}$$

$$\vec{FC} + \vec{CX} \equiv k\vec{FM}$$

$$\vec{FC} + m\vec{CE} \equiv k\vec{FM}$$